

UNIVERSITY OF ILLINOIS AT URBANA-CHAMPAIGN

JOINT SEMINAR

AERONAUTICAL AND ASTRONAUTICAL ENGINEERING

AND

THEORETICAL AND APPLIED MECHANICS

"WALL VIBRATION AND BOUNDARY LAYER EFFECTS
IN WIND INSTRUMENTS"

BY

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Professor Benade has authored numerous articles and several well-known books on musical acoustics, including the text Fundamentals of Musical Acoustics published in 1976, by the Oxford University Press.

3:00 P.M., FRIDAY, NOVEMBER 13, 1981
314 ALTGELD HALL

RECEPTION AT LEVIS FACULTY CENTER,
MUSIC ROOM FROM 5:00-7:00

Wall Vibration and Boundary Layer Effects in Wind Instruments

U of Illinois. 13 Nov 1981 A.H. BENADE

I INTRO REMARKS

Transparency 1 Folk Theorems

(a) Tell about the first flute I ever heard and saw while being made ... and 2nd... paper one was failure.

(b) DEMO WITH 2 PLASTIC FLUTES
corners rounded + unrounded

(c) Tell a little about reproducibility of data with musical instr. and about room effects.

(d) PLAY the flutes again

Transparency 2 Spectra of the two flutes

(1)

II Describe self-sustained osc behavior briefly

SLIDE 1 Water trumpet

SLIDE 2 Single res. break even

DEMO with clarinet { (a) Normal
(b) Single res... chokes up
(c) normal open

Cooperation

SLIDE 3 Regeneration Eqns

$$\text{Internal Spec } p_n \approx \frac{\sum_n p_n^n}{1 - A \sum_n \epsilon_n}$$

SLIDE 4 Spectral implications
Internal \Rightarrow external

Most of the energy produced at low freq, but very little is radiated

(2)

III Where does the energy go? (3)

Transparency 3

Refers back to loss of tallness of peak in slide?

Thermal losses to the walls are not small — but how much does change of material affect it?

Transparency 4 Thermal effects

What is player's sensitivity? 2% change in damping is detectable

In the complete pot of low level dissip Wood vs Metal only 1/2 enough!
(Less at strong playing levels)

IV But players insist (most can tell) diff between wood & metal — so can?!
(Listeners also in many cases) (4)

Porosity? Varnish can get this small & players mostly like to result
But not always good idea.

Plastic \cong Wood if varnished

Tell about Alex Murray's question...
Hot day etc etc

V TURBULENCE?! —
Kinematic Visc — Reynolds No

Sharp corners are bad —
→ workman & his materials —

⑤

Demo the flutes again + explain this time about corners.

Transparency 5

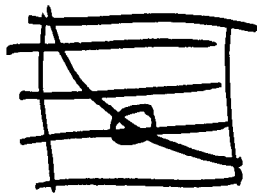
Flow etc near tone hole

→ DHK ←

Proneness to complication and turbulence

$\frac{\partial^2 v_{xy}}{\partial x \partial y}$ etc etc → (V^2/g^2)

Transparency 6



DEMO DHK's THL's

Comment on flutes sax - etc

Conclusion { big effects " some big physics principles, be careful

⑥

VI Wall Vibrations

- (a) Tell about DCM's expts (1909) organ pipe
- (b) blow ~~some~~ plastic bottles
- (c) Tell about David Shostak's flute

VII

Describe my New Clarinet + demo slightly

VIII

As time permits

- (a) Alignment error vs damping. (Sax Ltl stack pa)
- (b) Radiation from walls { Zick WW ab brass
- (c) Feel in player's hands
- (d) disruption etc mech vibrat mpr
- (e) AH-AHR ~~formed~~ mpr expt etc etc + plates

Pyle

AN IMPORTANT THEOREM IN PHYSICS

(Invariant under all changes of
Coordinate system)

Everything works according to FRESHMAN PHYSICS

Except what I do?

An Illustrative Example

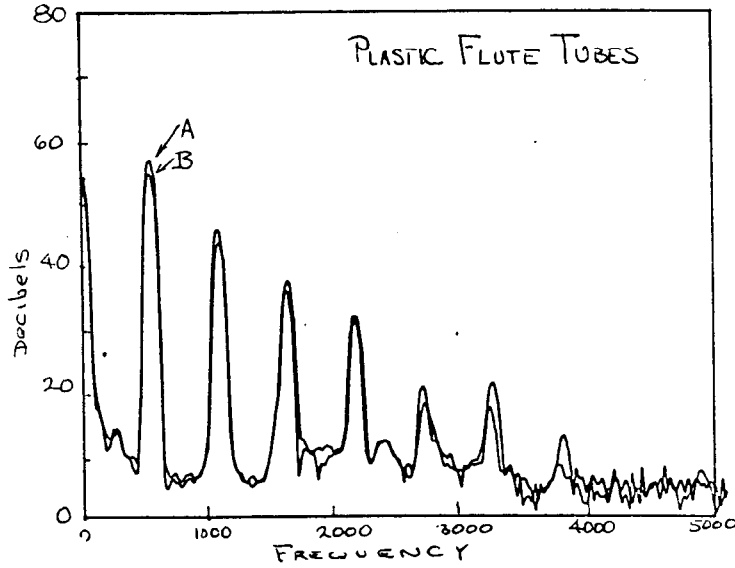
"A fable, the more remarkable since it is always discussed, is that the material of which a wind instrument is made, has an influence upon the sound of the same; that this is not so rests upon incontrovertible acoustical laws, about which there should be absolutely no more discussion."

THEOREMS ARE WONDERFUL, (BUT)
WHAT DOES EXPERIMENT SAY?

NOTE THE LECTURERS BIAS!

CASE SCHOOL OF APPLIED SCIENCE

ETHER DRIFT? NEUTRINO-CATCHING? MATERIALS AND TONE?



WHERE DOES THE ENERGY GO?

A. At very low playing levels

Viscous losses $(\frac{dW}{dt})_v = K_v \int_{\text{entire surface of air column}} v^2 dS$

Thermal losses $(\frac{dW}{dt})_T = K_T \int_{\text{surface}} p^2 dS$

Porosity losses $(\frac{dW}{dt})_p = K_p \int_{\text{surface}} p^2 dS$

Wall vibration losses - (complicated)

OH YES! Sound Radiation into Room (1/10) percent!

B. At medium playing levels

Streaming effects - viscous dissipation via steady circulation in air column (caused by viscosity + nonuniform flows).

Add this to the list in A. (may quadruple the dissipation)

C. At high playing levels

Turbulence at all discontinuities

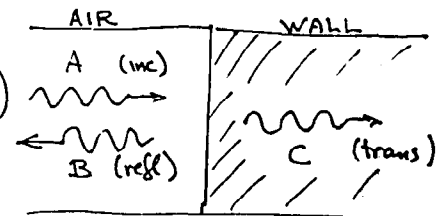
Turbulence even in main air column

The Player "Hits A Brick Wall"

also begins

General Thermal Wave

$$\psi_{\text{Thermal}} = \psi_0 e^{-x/\delta} \cos(\omega t - x/\delta)$$



where $\delta = 1/\text{ve skin depth}$
and also $(1/\delta) = \text{wave number } (2\pi/\lambda)$

$$\text{and } \delta = \sqrt{\frac{2}{\omega}} \sqrt{\frac{\kappa}{\rho c}}$$

At an interface $\left\{ \begin{array}{l} \text{Temp on left} = \text{Temp on right} \\ \text{Heatflow continuous across boundary} \end{array} \right.$

$$B = A \left[\frac{\Pi_{\text{air}} - \Pi_{\text{wall}}}{\Pi_{\text{air}} + \Pi_{\text{wall}}} \right]$$

$$\text{where } \Pi = \sqrt{\rho c \kappa}$$

$$C = A \left[\frac{2 \Pi_{\text{air}}}{\Pi_{\text{air}} + \Pi_{\text{wall}}} \right]$$

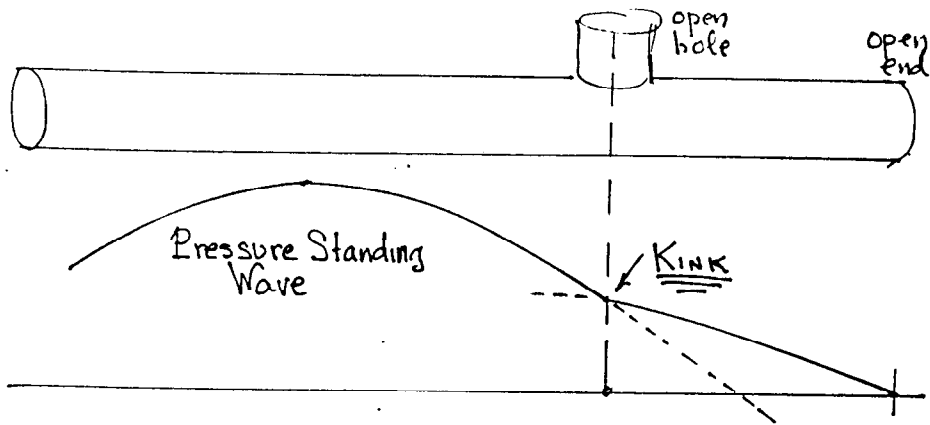
If $\Pi_{\text{wall}} \gg \Pi_{\text{air}}$ there is almost no fluctuation at the interface - i.e. almost perfectly isothermal boundary.

Material	(C/A)
Silver	3.03×10^{-4}
Copper	$3.10 \times \dots$
Brass	$5.80 \times \dots$
Nickel Silver	$9.4 \times \dots$
Wood	$1 \times 10^{-2} \text{ to } 2.8 \times 10^{-2}$

} Very Nearly Isothermal Wall

(4)

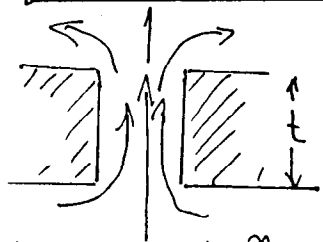
(3)



Volume flow rate thru hole = $\left[\frac{\text{const}}{\omega} \right] \left[\text{Difference in Slopes} \right]$

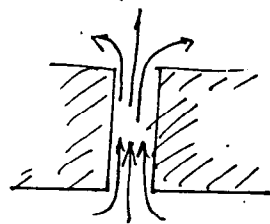
Velocity of this flow = $\left[\text{const} \right] \left[\frac{\text{Flow thru Hole}}{\text{Cross Section of Hole}} \right]$

Small holes can provoke turbulence



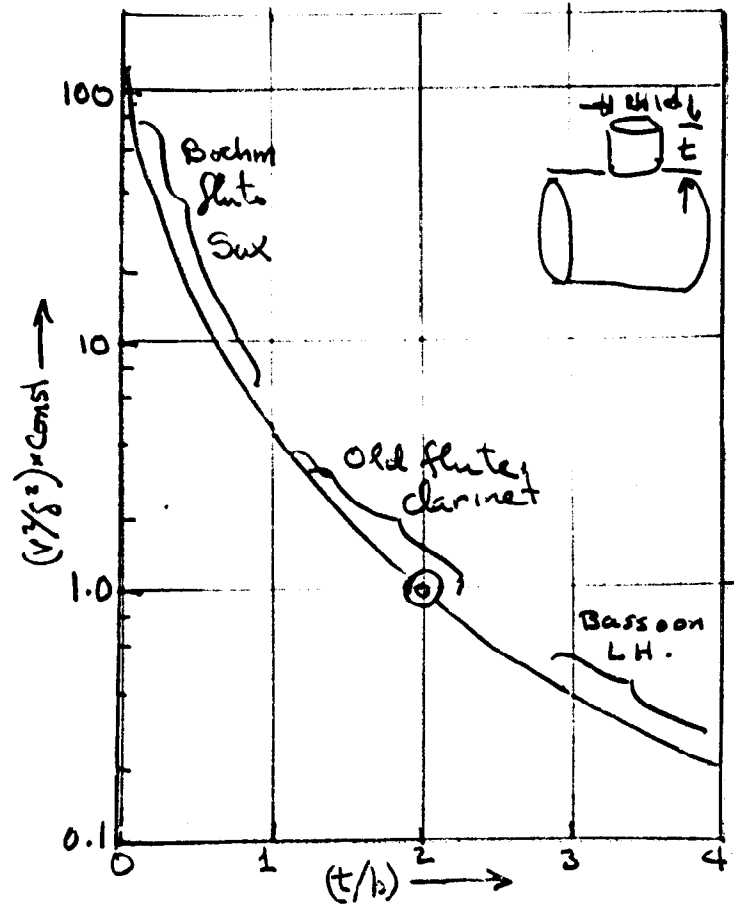
Inner complex flow affects outer flow pattern

Short wide hole



Inner and outer complexities are \approx independent

Long narrow hole



5 To do a given job $\left[\frac{\text{Length}}{\text{diam}} \right] = \text{const} \times [\text{diam}] \therefore \text{Big, tall, Best}$ 6